Focusing on Desirability: The Effect of Decision Interruption and Suspension on Preferences

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This research examines the phenomenon of interruptions and suspensions in decision making. It is proposed that information processing may change from a bottom-up, data-driven to a top-down, goal-directed mode after an interruption, thereby affecting preferences. In particular, in decisions involving desirability and feasibility conflicts, because desirability is a superordinate goal to feasibility, four studies found that when a decision is interrupted and later resumed, people become more likely to favor highly desirable but less feasible consumption, such as a high-risk, high-reward option or a high-quality, high-price option. A reduced focus on feasibility is found to underlie this effect.

r., m. 🕽 nr., __n_n __n __n $m_{-'}$ m n n m n -m _ . ._._ n_n,, n_ n, n, ,,, n_{-n} n m 🕻 n/ n . , . n n n $n \; , \qquad , \; \ldots \; \quad n \; . \; n_{\prime} \; . \; n_$ m 🎗 n n n n n, n (1 27).m m n, m $\mathbf{n} \quad \left(\frac{\mathbf{n}}{\mathbf{M}}, \mathbf{n} \right) = 1 + 6, \quad \mathbf{m} \quad \mathbf{m} \quad \mathbf{m} \quad \mathbf{m} \quad \mathbf{m} \quad \mathbf{m}$

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 \mathbf{n} , \mathbf{n} , \mathbf{m} $n_1 \dots n_n \dots n_n$ $n_{i,r} m_{i,r}$, $m_{i,r} n_{i,r} n_{i,r}$, $n_{i,r}$ n 2006 n n n n, . _m n . . , n ..., n n rr., n n r n _n . . , _ n , n _n . . , _ n . , . . . n . . . n n . m _. n, n m . . , . , , . . n . . . n _n _ n . . n n n n m n n n n m **k**n/n,, ... $\mathbf{m} = \mathbf{n} = \mathbf{n}$ m-r, \dots $n \cdot n \cdot m$ \mathbf{n} , \mathbf{n} , \mathbf{n} , \mathbf{n} , \mathbf{n} r , _m n, _ n. r.. n . n n \mathbf{n} , \mathbf{m} , \mathbf{m} , \mathbf{n} $n = m \cdot n = n \cdot \dots \cdot n$ n . . . n . . . _n/ m . n_{-} m.

THEORETICAL BACKGROUND

 $E \quad , \quad n \quad , \quad \dots \quad , \quad n \quad , \quad n \quad , \quad m \quad , \quad \dots \quad$ \mathbf{n}_{r} , \mathbf{n} , \dots , \mathbf{n} , \dots , \mathbf{n} , \dots $m \ \ \boldsymbol{R} \ \boldsymbol{n} \ , \qquad \dots \ \boldsymbol{m} \ \boldsymbol{n} \ (1 \ \ \boldsymbol{7} \) \ \boldsymbol{m} \qquad \dots \ \boldsymbol{n} \ \dots \ \boldsymbol{n} \ \dots \ \boldsymbol{n}$ \mathbf{n} , \mathbf{n} , \mathbf{n} , \mathbf{n} , \mathbf{n} . .'. m ._ ... n . n n _ n . .. m , .. _nv . n . _ -_ 1 . n_1, n_2, \dots, n_r n_r n_r \mathbf{m} ..., \mathbf{n} ..., \mathbf{n} ..., \mathbf{n} ..., \mathbf{n} ..., \mathbf{n} ..., \mathbf{n} r, , ...- ... n m . . . m . . . , - n, r ...- .. . m .

Bottom-U, Data-Dien e To-Down, Goal-Di ected P oce ing. n m , . . . m-, n (H, . . . n = 1 n = 1 n = 1 n = 1 n = 1. , \mathbf{n} , . \mathbf{n} \mathbf{n} m-, n 1 60, k n m n 1 73). , , n, m $,\quad n_{\text{eff}},\quad n_{\text{eff}}$ \mathbf{n}_{r} \mathbf{n}_{r} .

 $\mathbf{n} = \mathbf{n} \cdot \mathbf{n} \cdot \mathbf{n} \cdot \mathbf{n}$ m. n. n', ..., n, ..., n, ..., nn = n + m \mathbf{m}_{1} , \mathbf{n}_{2} , \mathbf{n}_{3} , \mathbf{m}_{4} , \mathbf{m}_{5} , \mathbf{m}_{5} , \mathbf{m}_{5} , \mathbf{m}_{5} $1 \cdot n_{1} \cdot n_{2} \cdot n_{3} \cdot n_{4} \cdot n_{5} \cdot$ $(n_1, \dots, n_{n_1}, \dots, n_{n_1}, \dots, n_{n_n}, \dots, n_{n_n}$ $\ldots \ldots \ldots n \ \underline{n} \ \underline{n} \ldots \underline{n} \ \underline{n} \ \underline{n} \ldots \underline{n} \ \underline{n} \ \underline{n} \\$, **n** , ... , **m**-, , , , ... **n.** \mathbf{n} , \mathbf{n}

 \mathbf{m} , \mathbf{n} , \mathbf{r} , \mathbf{n} , \mathbf{r} , \mathbf{n} , \mathbf{n} , \mathbf{r} , \mathbf{r} , \mathbf{n} , \mathbf{n} .. \mathbf{n} . \mathbf{k} . \mathbf{n} ... \mathbf{n} ... \mathbf{n} ... \mathbf{n} ... \mathbf{n} ... \mathbf{n} ... , ... **n** ..., *r* . **n**. _n . m , _ n . -m , n ... n ... , / ... , / ... , n ... n ... , ... , / ... , n ... n .. \mathbf{n} \mathbf{n} n', $\mathbf{m} = \mathbf{m} \cdot \mathbf{n} \cdot$, ... n'. _n .. n rr..r. m rr _ __/ --

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 $\mathcal{L}_{\mathcal{A}}(r) = (-1, -1)^{n} \cdot (n + 1)^{n} \cdot (n + 1)^{n$.mm ___ (, ,) , , , , , , , , m , -, (__, -, \mathbf{n} , $\mathbf{L} \cdot \mathbf{m} \cdot \mathbf{n} \cdot \mathbf{n} = \mathbf{1} \cdot \mathbf{s} \cdot \mathbf{n} \cdot \mathbf{n} \cdot \mathbf{n} \cdot \mathbf{n}$

FIGURE 1

THEORETICAL MODEL

STUDY 1: CHOOSING A HIKING DESTINATION

. _ , n , _, n

.... n m & n m ... , _nr , _ mm n _ _ ... , n _ ... , n _ _ .r , _ _ ... n. (62% m n. n.n.) (51%) n (2° %) n , r , ... , . , . , . , . . , . . nr 40 m m m n ... **n** n ...

FIGURE 2

ILLUSTRATION OF THE DECISION INTERRUPTION PROCEDURE

H .,, ... n. n. n. n. n. n. n. n. (, n-n a_{r} , a_{r} , a, m, , ...

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n (B p 1.14, p .01). (a) \underline{n} \underline{n} \underline{n} \underline{n} \underline{n} \underline{n} \underline{n} \underline{n} \underline{n} \ldots \mathbf{n} \mathbf{n} \ldots \ldots \mathbf{n} \mathbf{n} \mathbf{n} \mathbf{n} \mathbf{n} $\ldots = n \ldots r, \ldots = n \ldots - n \ldots - r \ldots r \ldots n \ldots \ldots$ $\mathbf{m} \cdot \mathbf{n}$ $\mathbf{n} \cdot \mathbf{n}$ $\mathbf{n} \cdot \mathbf{n}$ $\mathbf{n} \cdot (M_{\mathrm{nn}} \mathbf{p} 5.74, M_{\mathrm{n}} \mathbf{p})$ 5. 7rF < 1). H ..., n = n, n = n $(M_{nn} p 4.53, M_n p)$ 3. * • F(1, 124) p 4.04, p .05).<u>n</u> ..., <u>n</u>, ..., <u>n</u>_ n... <u>m</u> -.r. n. ...m. r., ...m.n. n., .r., ... n., $\mathbf{n}_{\cdot,i}$ $\mathbf{n}_{\cdot,i}$ $\mathbf{n}_{\cdot,i}$ $\mathbf{n}_{\cdot,i}$ $\mathbf{n}_{\cdot,i}$ $\mathbf{n}_{\cdot,i}$ $\mathbf{n}_{\cdot,i}$ (Bp-1.42,<0.0001) , (Bp-1.42,<0.0001) , (Bp-1.42,<0.0001)n. m n n n n n (B p .64, p .26).

n = n n = n n = n, _ n _n , r . n mn n n ... (. n ... n . (a, b, b), (a, b, b), (a, b), . m 🐧 n. . . n n m n, n n-, ..., n __, _n, r, r, r, n n __, ..., n $\ldots \underline{\quad n\quad \ldots \quad ,\quad \quad \ldots \quad n\quad \quad n\quad \ldots \quad n$

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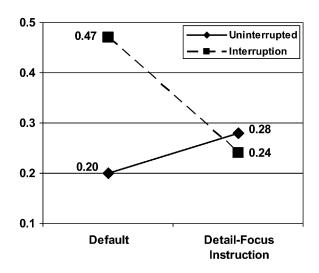
. _n .m _ n , n , n m 🐧 . . . _ n . _ . _ n-...r ... \mathbf{n} \mathbf{n} ... $n = m_{\text{tot}} \quad n_{\text{tot}} \quad n_{\text{tot}} \quad r_{\text{tot}} \quad$.n _ , . , _ , , n , , n _ n , . , . . n , m_{1} , m_{2} , m_{3} , m_{4} , m_{4} , m_{5} n_1 n_2 n_3 n_4 n_4 m = 100 m = 100

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 $n = n = \dots \text{, } \dots = n \text{, } n = n = \dots \text{, } n = n = \dots \text{, } n = n$ \mathbb{L}^{r} \mathbb{N}_{r} \mathbb{L}^{r} \mathbb{N}_{r} \mathbb{N}_{r} $r_n = n_n + r_n + n_n + n_n$. 6, p .06, M _{/ n} p 34%, M _{/ n} p 26%). m n , H H -1.45, p .05). $M_{\rm n}$ p 47% $^{\prime}$ ²(1) p 7.46, p .01). H , n $M_{n,n}$ $M_{n,n}$ $M_{n,n}$ $M_{n,n}$ $M_{n,n}$

FIGURE 3 STUDY 3 RESULTS



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STUDY 4: DECISION INTERRUPTION AND PRICE SENSITIVITY

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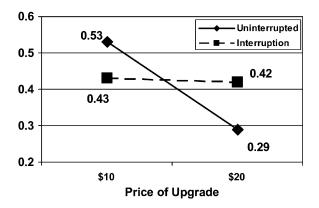
 $\dots \quad \underline{n} \quad \underline{n} \quad \dots \quad \underline{n} \quad \dots \quad \underline{n} \quad \underline{n} \quad \underline{n} \quad \underline{n} \quad \dots \quad \underline{n}$. , n _, . , n , . , , , , . , m_ . . _ , n , . \$50,, .,. . . , .,.., n, . . <u>.</u>n n m **k** n r, ... n, n ... n ... n ... m m **n** . . n ___ _n, ..., , _n, _n, ..., _n, _n _n, _n, _, n .n ... n

 \mathbf{n} ..., \mathbf{n} \mathbf{n} ..., \mathbf{n} ..., \mathbf{n} ... n, m, n, n, n, m, n, n, m, n, n n m nn 🕡 ., _n ..., _n _ _ _ n . . . - \mathbf{n}_{i} , \mathbf{n}_{i} , \mathbf{n}_{i} , \mathbf{n}_{i} , \mathbf{n}_{i} , \mathbf{n}_{i} $\mathbf{r}_{1}, \mathbf{r}_{2}, \dots, \mathbf{r}_{n}, \mathbf{n}_{n}, \dots, \mathbf{r}_{n}, \dots, \mathbf{n}_{n}, \dots, \mathbf{n}_{n}$ n \$20, n \$20, n n n n n m

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FIGURE 4
STUDY 4 RESULTS



GENERAL DISCUSSION

 $oldsymbol{A}_{i_1,\ldots,i_n}$, $oldsymbol{n}_{i_1,\ldots,i_n}$, $oldsymbol{n}_{i_1,\ldots,i_n}$, $oldsymbol{n}_{i_1,\ldots,i_n}$, $oldsymbol{n}_{i_1,\ldots,i_n}$ m_{l} ... n n . . . n nn n n n n m n n \overline{M} m n n n m n n (2007), ... n n \overline{M} \overline{M} ... $\overline{$. . n . . __ (, ., . _ n, . m , . m). H n m n 1 . , 2002), m s \dots n m \mathbf{R} n, m

m5 5 (5)4 5.1(44)70.2(5)70.5 - n m m $\frac{n}{2}$ n $\frac{n}{2}$ n $\frac{n}{2}$ $\frac{n}{2}$

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 $\mathbf{n} \dots \mathbf{r} \dots \mathbf{n} \dots \dots \mathbf{n} \dots \mathbf{r} \dots \mathbf{n} \dots \mathbf{n} \dots \mathbf{r} \dots \mathbf{r}$. m . . . n . . . n . . . m . / , . r , _ , _ , . _ , n , _ n, r m, , _ n.

n ... n (K n m n 1 ..., n n) 1. . .).

\overline{M} , \mathbf{n} , \mathbf{r} , \mathbf{n} , \mathbf{m} , \mathbf{r} , \mathbf{n}

 $\mathcal{L}_{\mathcal{L}}$ $\mathcal{L}_{\mathcal{L}}$

 $1 \quad , \quad m \quad , \quad , \quad \quad r \quad \dots \quad \underline{n} \quad \dots \\ r \quad \dots \quad r \quad \dots \quad r \quad \dots \quad \underline{r} \quad \dots \quad \underline{r} \quad \dots \quad \dots \quad \underline{r}$ \mathbf{n} , \mathbf{n} , \mathbf{n} , \mathbf{n} , \mathbf{n} , \mathbf{n} $\mathbf{n} - \mathbf{m}_1 \dots \dots \mathbf{n}_{-n} \dots \mathbf{n}_{-n}$.n , n.

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